

LR(1) Parse Tables

LR(1) Parse Tables

- Closure Function (Figure 3.20)
- Goto Function (Figure 3.21)
- Build Canonical Collection (Figure 3.22)
- Build LR(1) Action and Goto Tables (Figure 3.24)

Closure Function

```
closure(s)
    while (s is still changing)
        for each item  $[A \rightarrow \beta \bullet C\delta, a] \in s$ 
            for each production  $C \rightarrow \gamma \in P$ 
                for each  $b \in \text{FIRST}(\delta a)$ 
                     $s \leftarrow s \cup \{[C \rightarrow \bullet \gamma, b]\}$ 
    return s
```

■ FIGURE 3.20 The closure Procedure.

Goto Function

```
goto(s, x)
    moved  $\leftarrow \emptyset$ 
    for each item i  $\in s$ 
        if the form of i is  $[\alpha \rightarrow \beta \bullet x\delta, a]$  then
            moved  $\leftarrow$  moved  $\cup \{[\alpha \rightarrow \beta x \bullet \delta, a]\}$ 
    return closure(moved)
```

■ FIGURE 3.21 The *goto* Function.

Build Canonical Collection

```
CC0 ← closure({[S' → •S, eof]})  
CC ← {CC0}  
while (new sets are still being added to CC)  
    for each unmarked set CCi ∈ CC  
        mark CCi as processed  
        for each x following a • in an item in CCi  
            temp ← goto(CCi, x)  
            if temp ∉ CC  
                then CC ← CC ∪ {temp}  
            record transition from CCi to temp on x
```

■ FIGURE 3.22 The Algorithm to Build CC.

Build LR(1) Action and Goto Tables

```
for each  $CC_i \in CC$ 
    for each item  $I \in CC_i$ 
        if  $I$  is  $[A \rightarrow \beta \bullet c y, a]$  and  $\text{goto}(CC_i, c) = CC_j$  then
             $\text{Action}[i, c] \leftarrow \text{"shift } j\text{"}$ 
        else if  $I$  is  $[A \rightarrow \beta \bullet, a]$  then
             $\text{Action}[i, a] \leftarrow \text{"reduce } A \rightarrow \beta\text{"}$ 
        else if  $I$  is  $[S' \rightarrow S \bullet, \text{eof}]$  then
             $\text{Action}[i, \text{eof}] \leftarrow \text{"accept"}$ 
    for each  $n \in NT$ 
        if  $\text{goto}(CC_i, n) = CC_j$  then
             $\text{Goto}[i, n] \leftarrow j$ 
```

■ FIGURE 3.24 LR(1) Table-Filling Algorithm.

LR(1) Parse Tables

1. $S \rightarrow E$
2. $E \rightarrow T + E$
3. $E \rightarrow T$
4. $T \rightarrow id$

LR(1) Parse Tables

- Configuration Item
 $S \rightarrow \cdot E, \text{eof}$

LR(1) Parse Tables

0

$S \rightarrow \cdot E, \text{eof}$

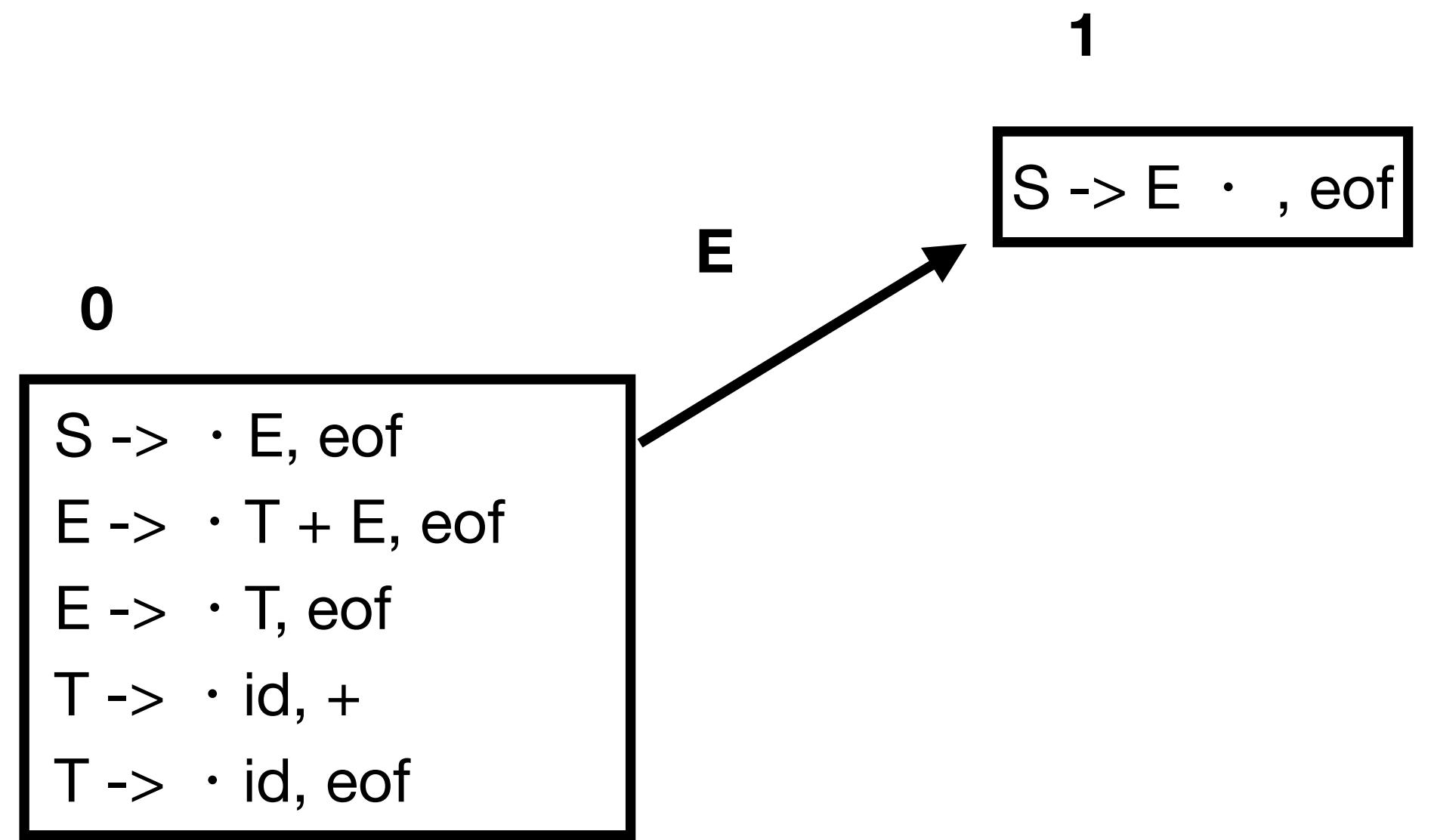
$E \rightarrow \cdot T + E, \text{eof}$

$E \rightarrow \cdot T, \text{eof}$

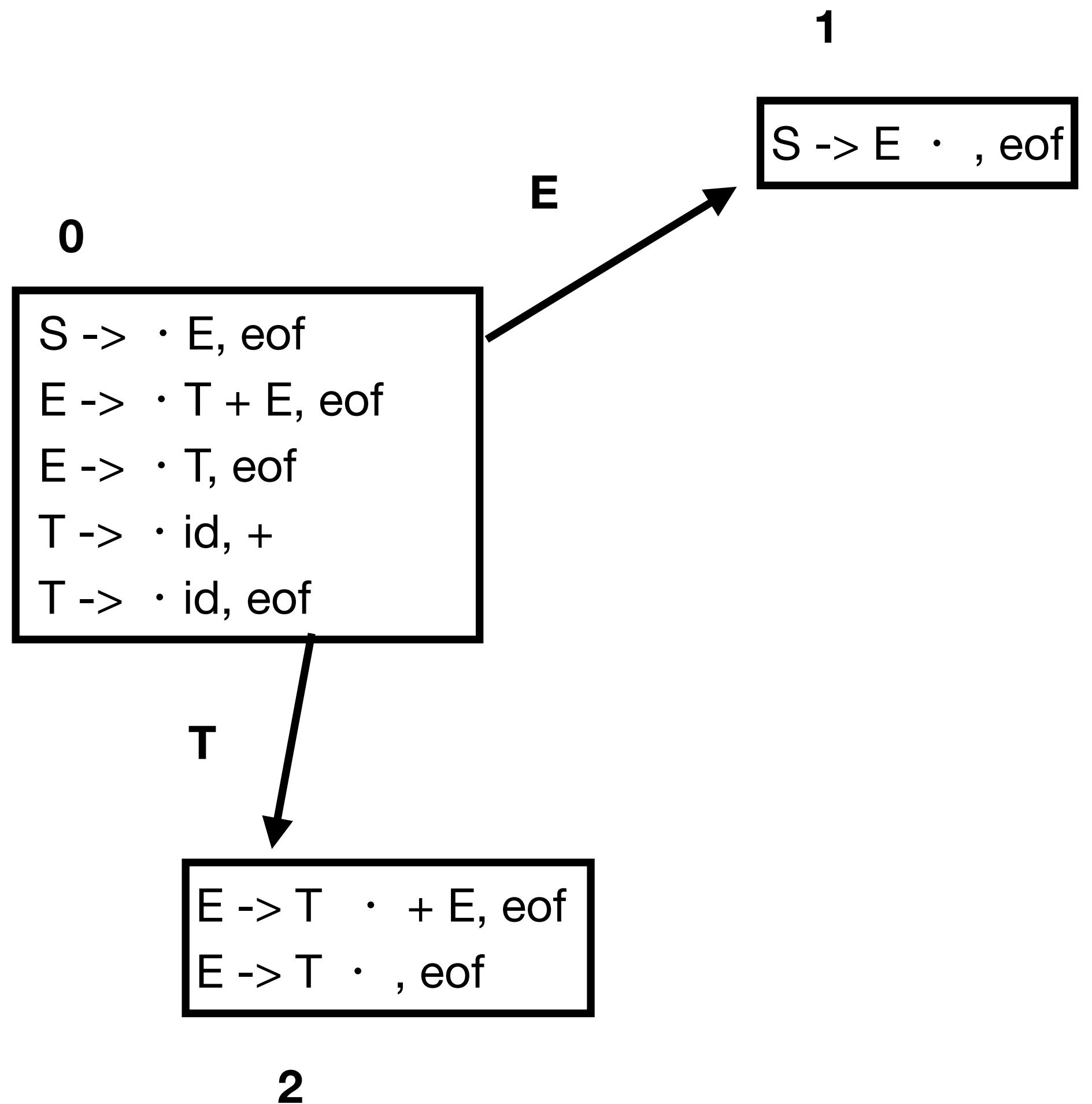
$T \rightarrow \cdot \text{id}, +$

$T \rightarrow \cdot \text{id}, \text{eof}$

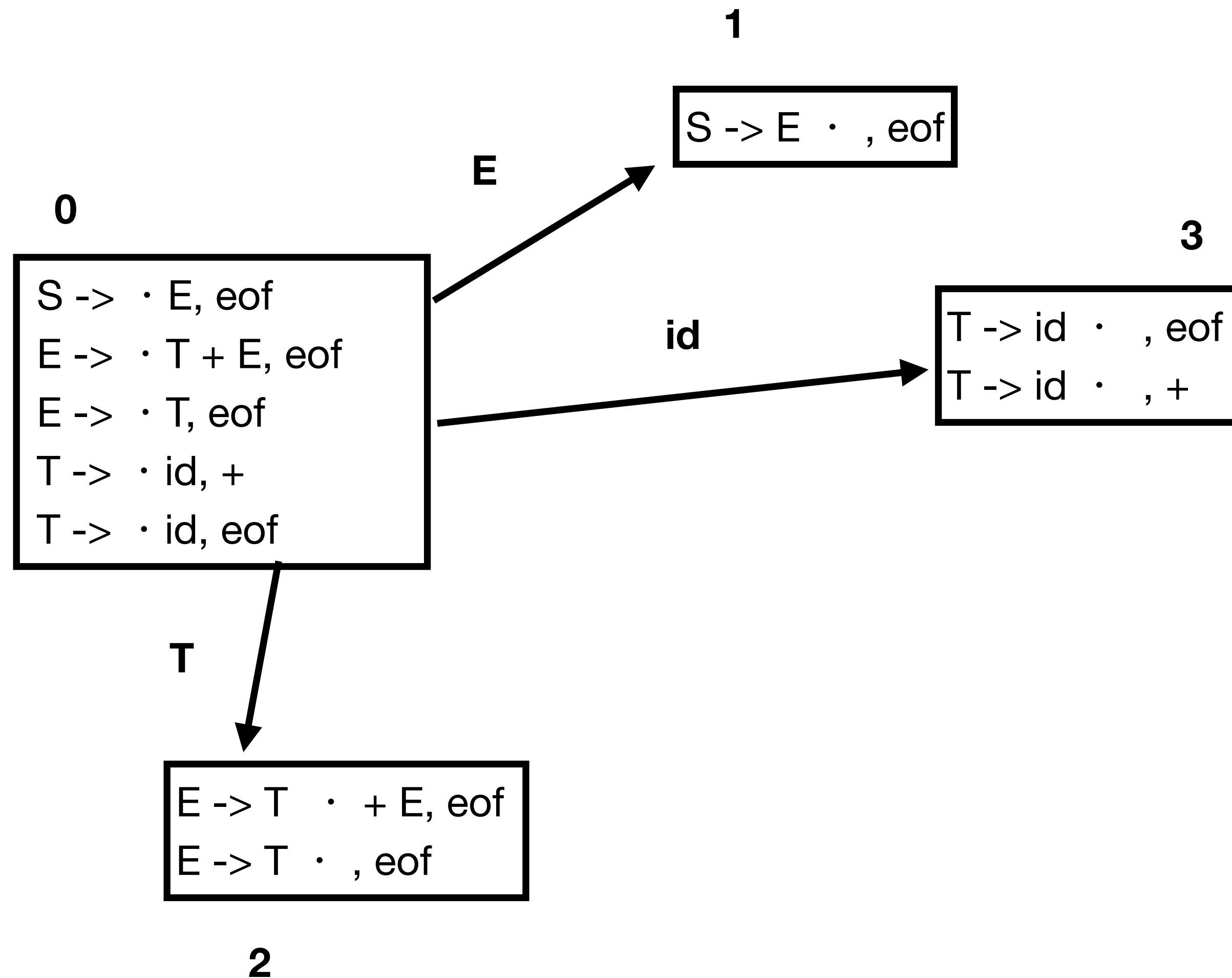
LR(1) Parse Tables



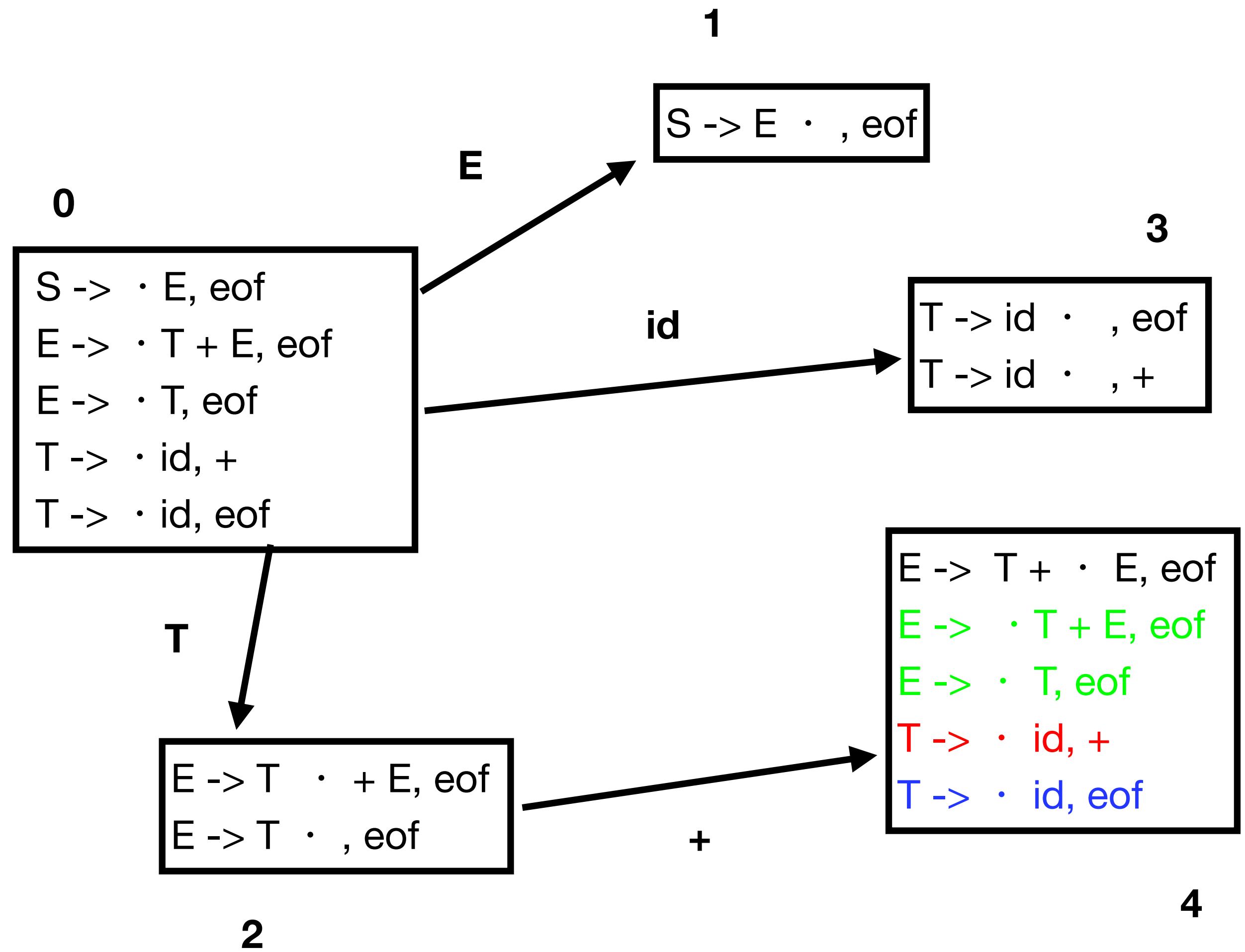
LR(1) Parse Tables



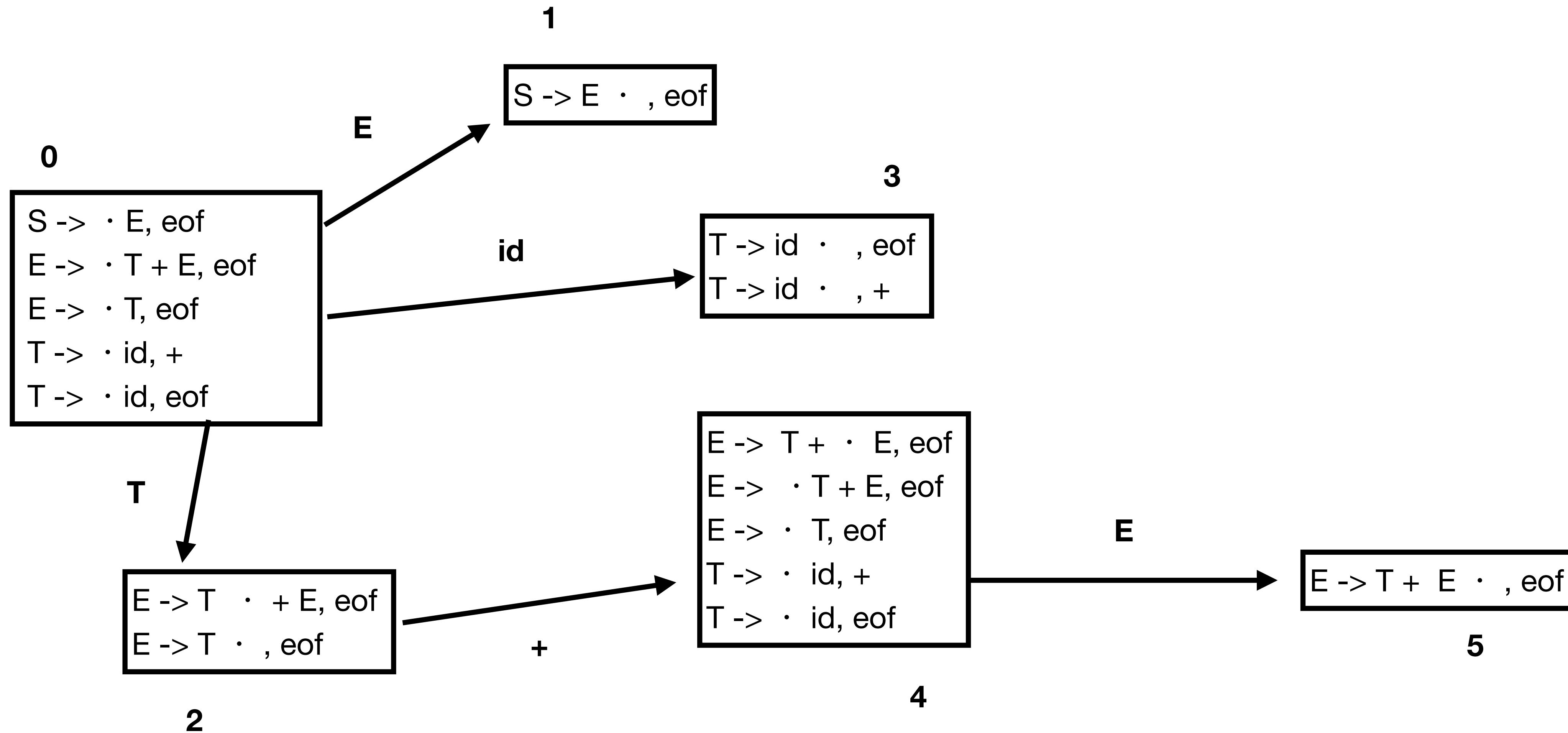
LR(1) Parse Tables



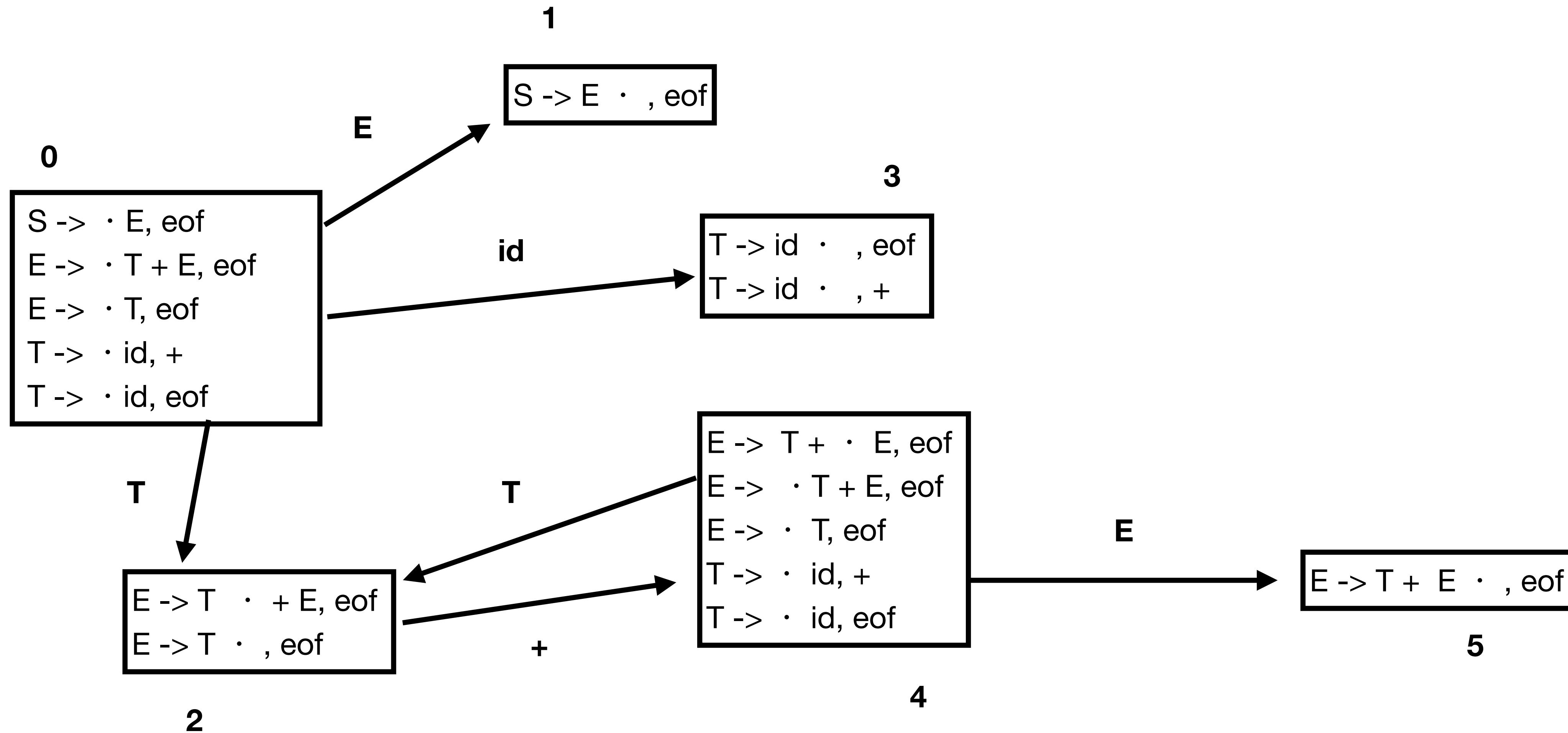
LR(1) Parse Tables



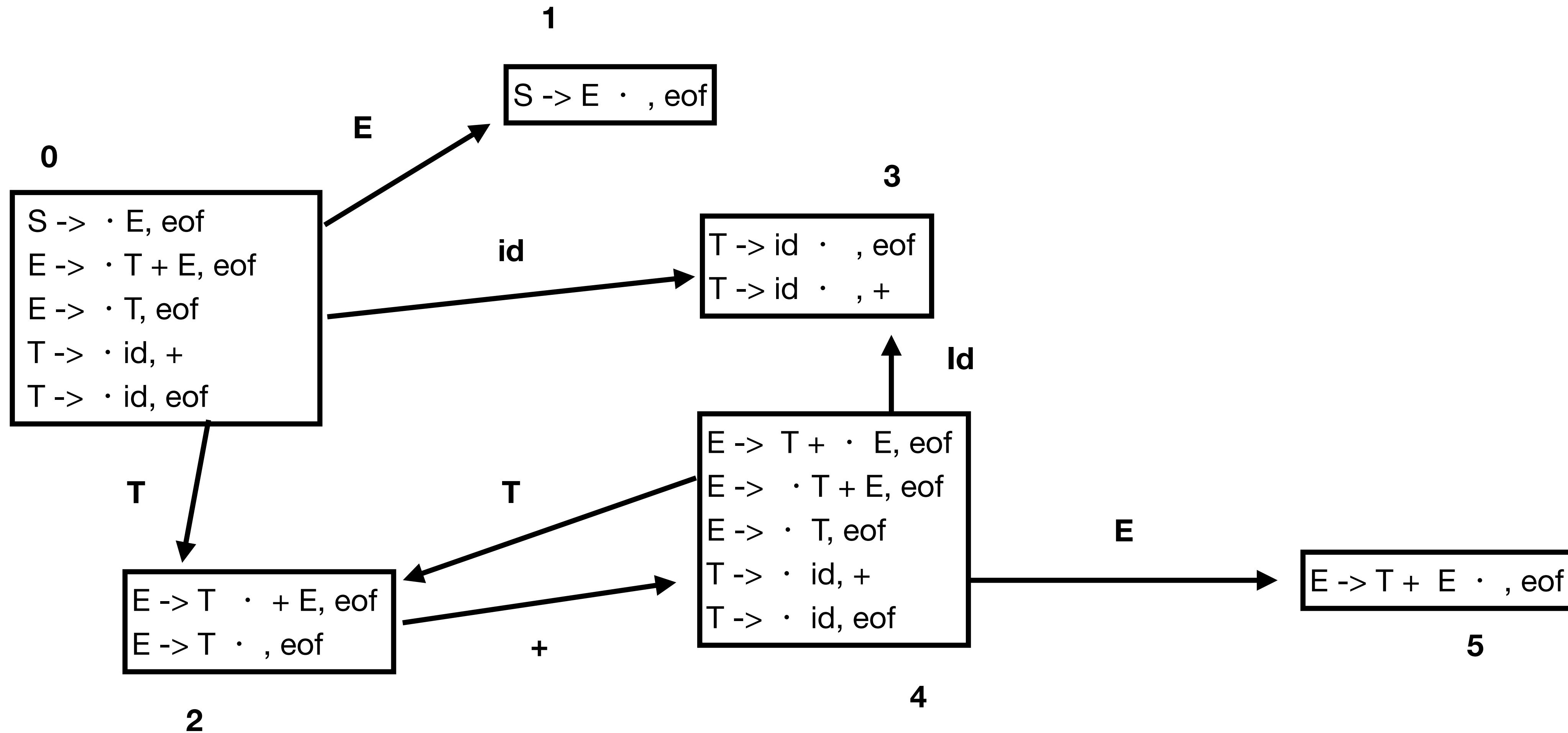
LR(1) Parse Tables



LR(1) Parse Tables



LR(1) Parse Tables



LR(1) Parse Tables

State	Action Table			Goto Table	
	eof	<i>id</i>	+	<i>E</i>	<i>T</i>
0		s 3		1	2
1	acc				
2	r 3		s 4		
3	r 4		r 4		
4		s 3		5	2
5	r 2				